

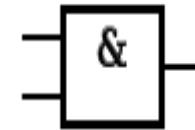
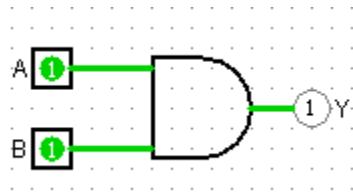
# DIGITALNA LOGIKA

OSNOVNI LOGIČKI  
SKLOPOVI

# Osnovni logički sklopovi

I-sklop       $Y=AB$

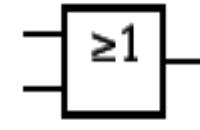
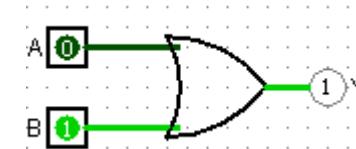
ANSI-standard    IEC-standard



tablica stanja

| A | B | Y |
|---|---|---|
| 0 | 0 | 0 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 1 |

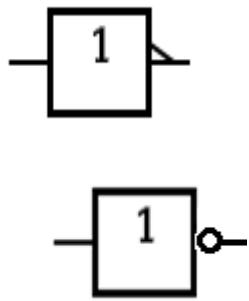
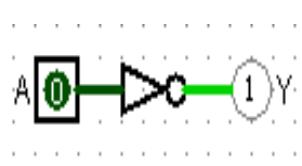
ILI –sklop     $Y=A+B$



tablica stanja

| A | B | Y |
|---|---|---|
| 0 | 0 | 0 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 1 |

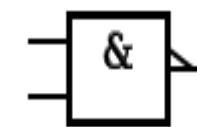
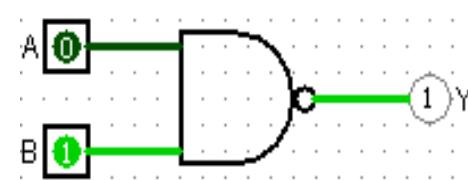
- NE-sklop



$$Y = \overline{A}$$

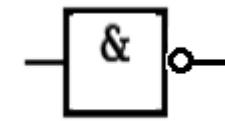
| A | Y |
|---|---|
| 0 | 1 |
| 1 | 0 |

- NI-sklop



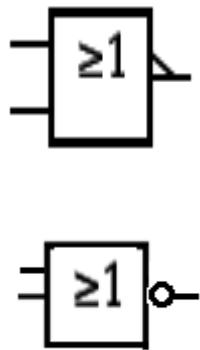
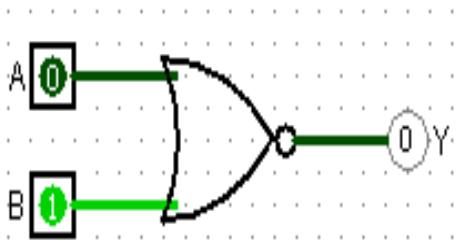
$$Y = \overline{AB}$$

| A | B | Y |
|---|---|---|
| 0 | 0 | 1 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |



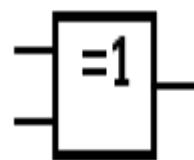
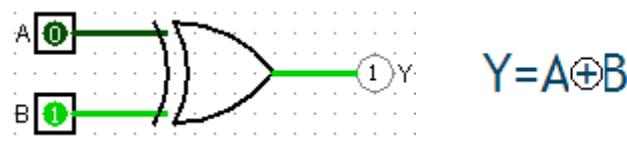
## NILI-sklop

$$Y = \overline{A+B}$$



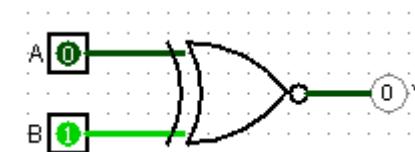
| A | B | Y |
|---|---|---|
| 0 | 0 | 1 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 0 |

## XOR-sklop/isključivo ILI

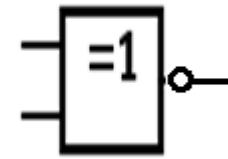
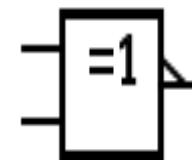


| A | B | Y |
|---|---|---|
| 0 | 0 | 0 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |

## XNOR-sklop/isključivo NILI



$$Y = \overline{A \oplus B}$$

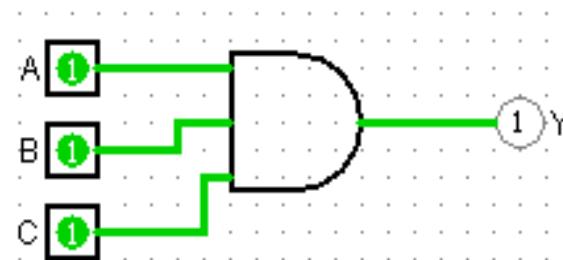


| A | B | Y |
|---|---|---|
| 0 | 0 | 1 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 1 |

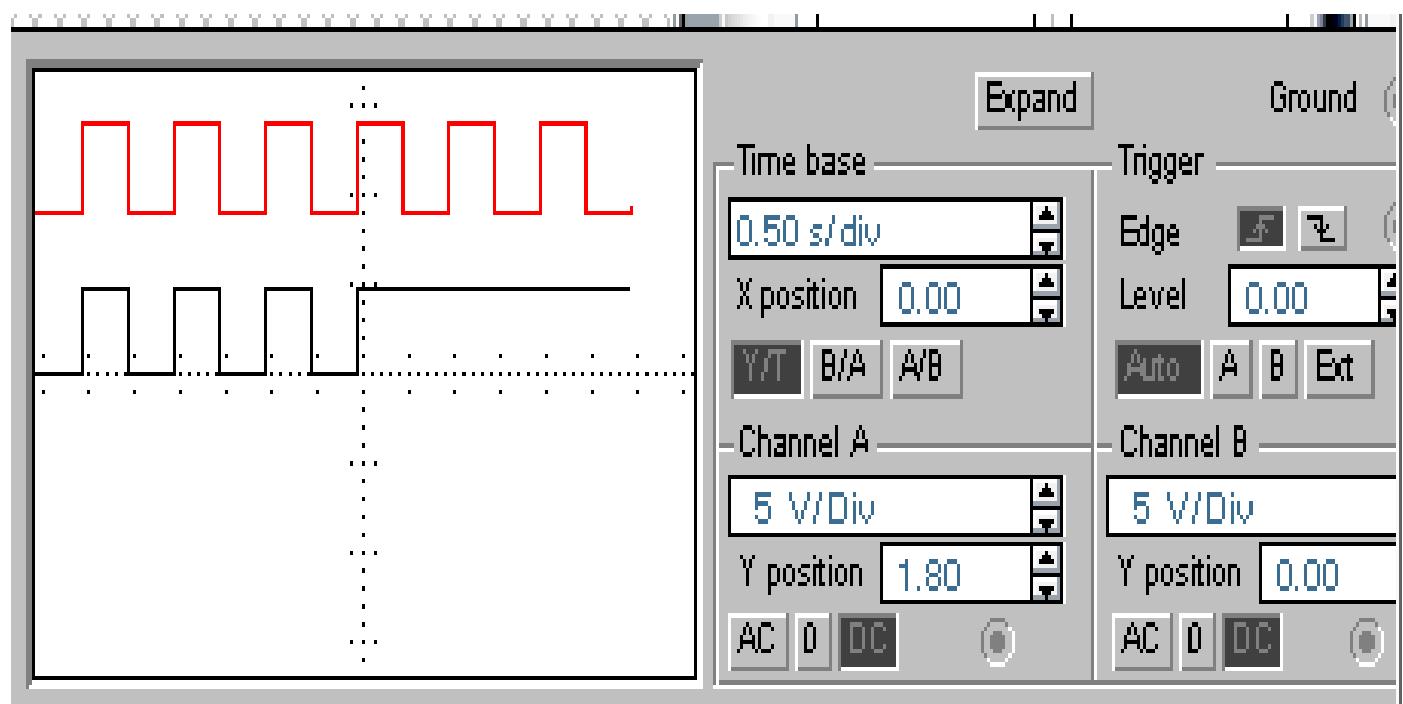
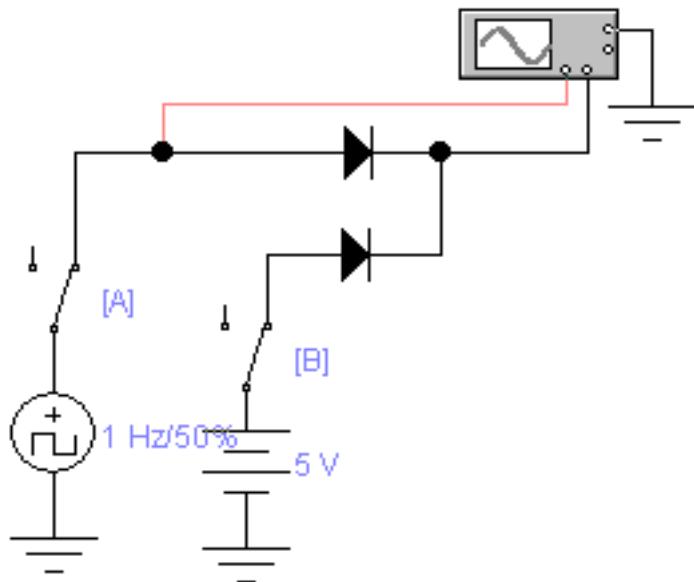
# Realizirati I-sklop sa tri ulaza

- $Y = ABC$

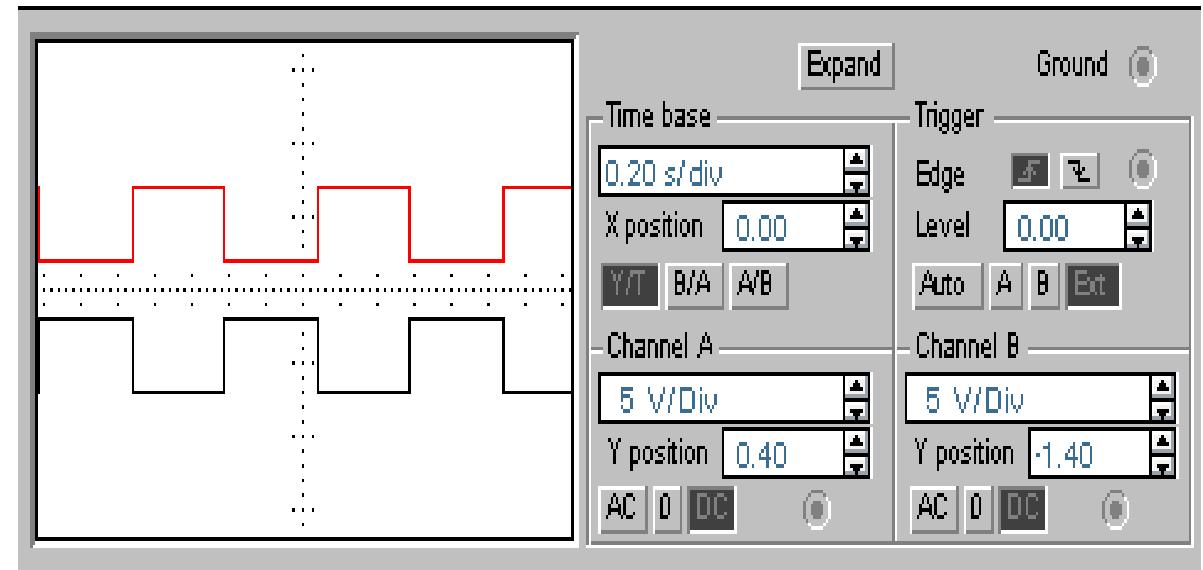
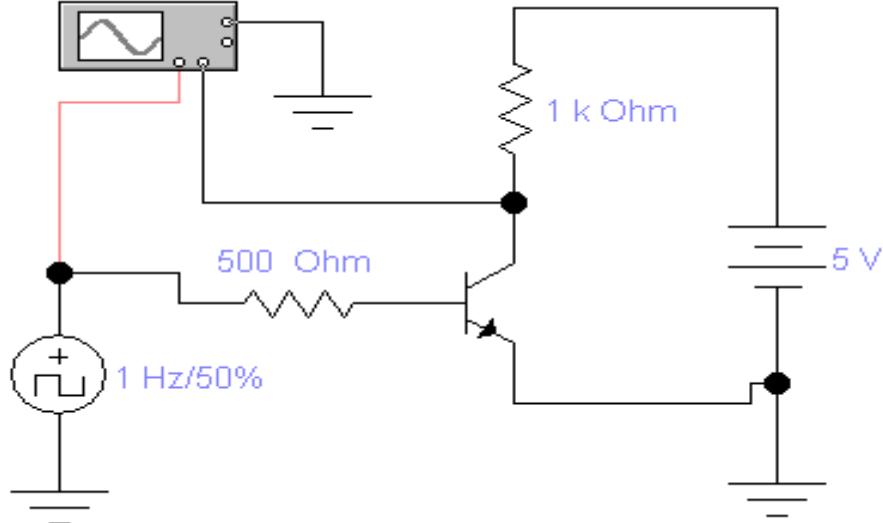
| A | B | C | Y |
|---|---|---|---|
| 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 |
| 0 | 1 | 0 | 0 |
| 0 | 1 | 1 | 0 |
| 1 | 0 | 0 | 0 |
| 1 | 0 | 1 | 0 |
| 1 | 1 | 0 | 0 |
| 1 | 1 | 1 | 1 |



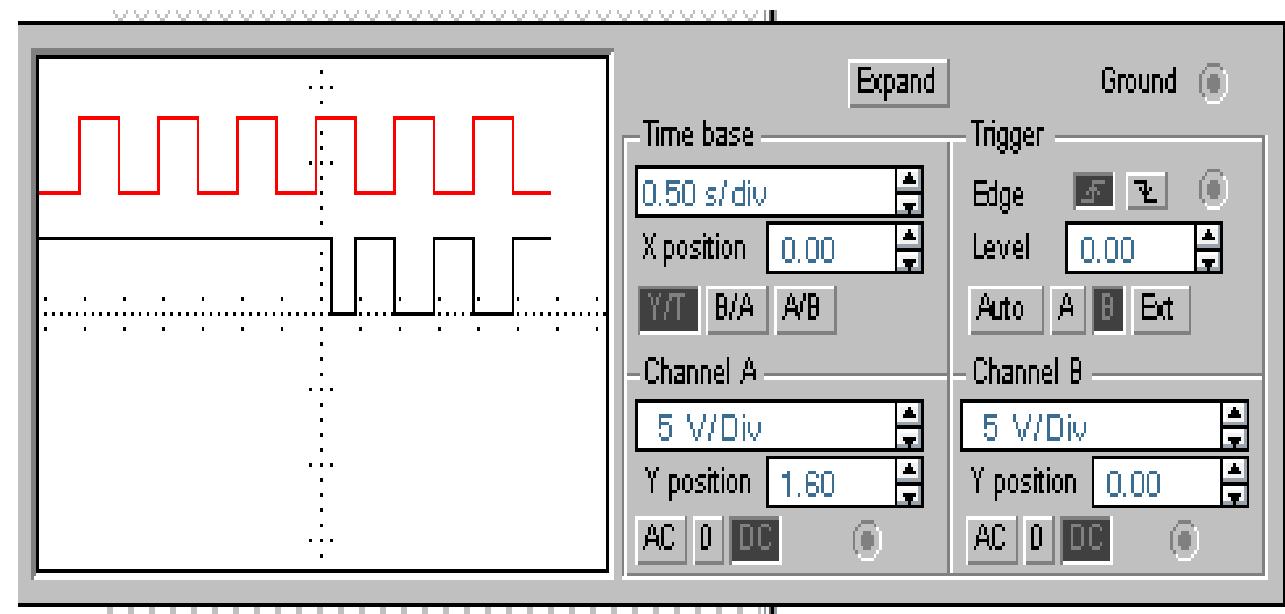
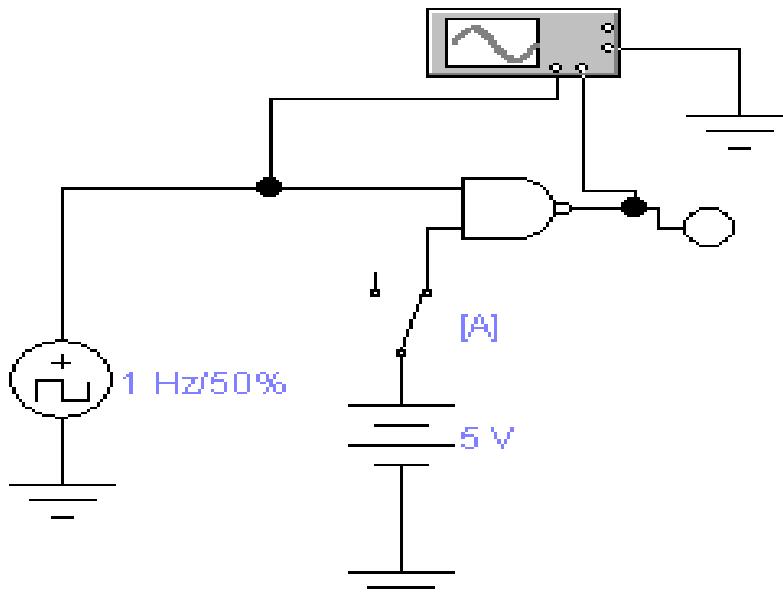
## Simulacija diodnog ILI sklopa



# NE-logički sklop-simulacija EWB

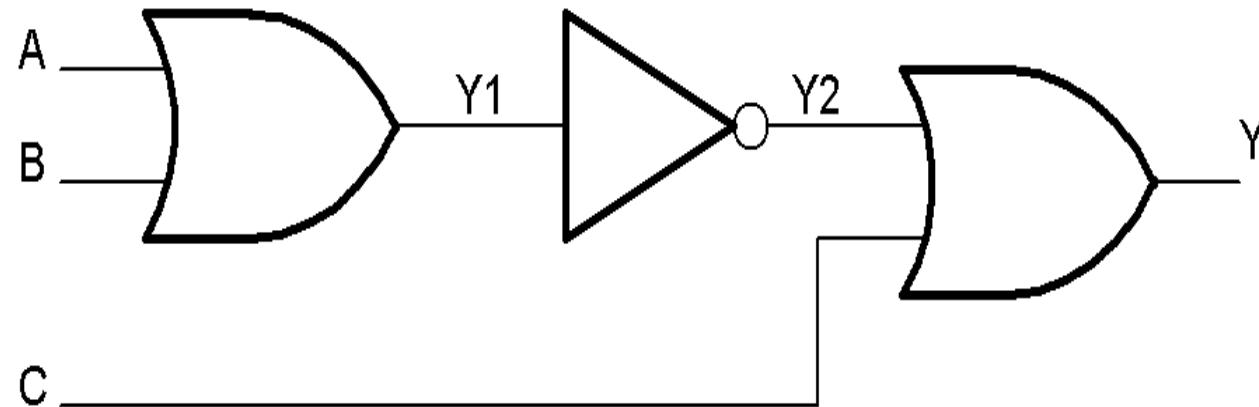


**Na ulaz logičkog sklopa NI dovodimo niz pravokutnih impulsa, a drugi ulaz držimo jedno vrijeme u 1, pa u 0. Odrediti stanje izlaza.**



## Napisati tablicu stanja i logički izraz za logičku shemu

- Prvo - označiti međustanja koja predstavljaju rezultat rada osnovnih sklopova (krenuti od ulaznih vrijednosti, s lijeva na desno).

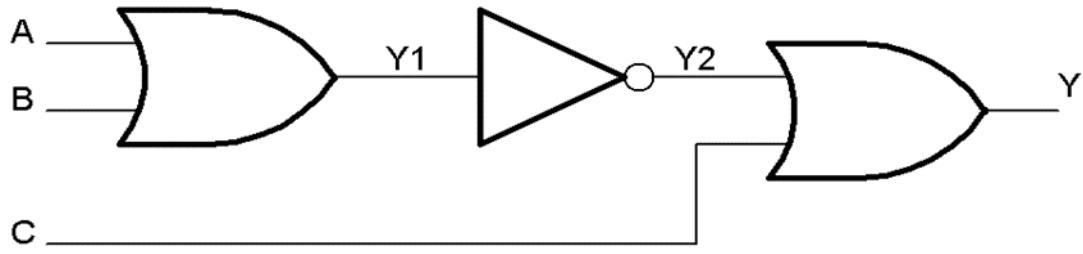


- U tablici stanja treba predvidjeti:
  - stupce koji predstavljaju **ulazne operative**,
  - stupce koji predstavljaju vrijednosti prethodno uvedenih **međustanja**,
  - stupac **krajnjeg rezultata**.

|   |   |   |               |                         |               |
|---|---|---|---------------|-------------------------|---------------|
| A | B | C | $Y_1 = A + B$ | $\underline{Y_2 = Y_1}$ | $Y = Y_2 + C$ |
|---|---|---|---------------|-------------------------|---------------|

| A | B | C | $Y_1 = A + B$ | $Y_2 = \overline{Y_1}$ | $Y = Y_2 + C$ |
|---|---|---|---------------|------------------------|---------------|
| 0 | 0 | 0 | 0             | 1                      | 1             |
| 0 | 0 | 1 | 0             | 1                      | 1             |
| 0 | 1 | 0 | 1             | 0                      | 0             |
| 0 | 1 | 1 | 1             | 0                      | 1             |
| 1 | 0 | 0 | 1             | 0                      | 0             |
| 1 | 0 | 1 | 1             | 0                      | 1             |
| 1 | 1 | 0 | 1             | 0                      | 0             |
| 1 | 1 | 1 | 1             | 0                      | 1             |

Za završnu logičku funkciju treba krenuti **s desna na lijevo**, od krajnjeg izlaza i logičkih vrata kojima taj izlaz pripada.



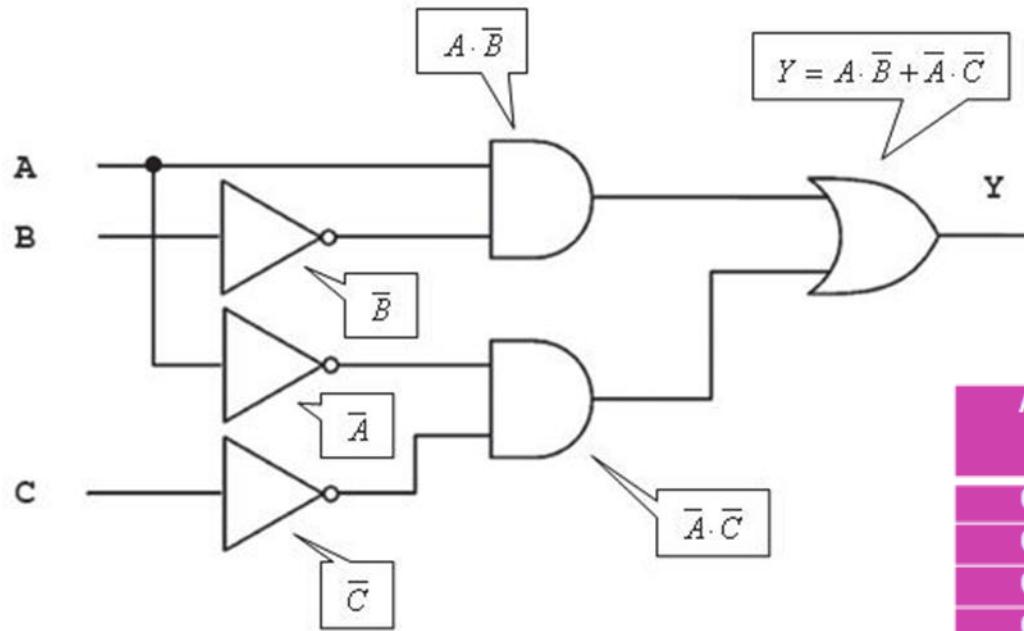
$$Y = Y_2 + C$$

$$Y = (\overline{Y_1}) + C$$

$$Y = \overline{(A+B)} + C$$

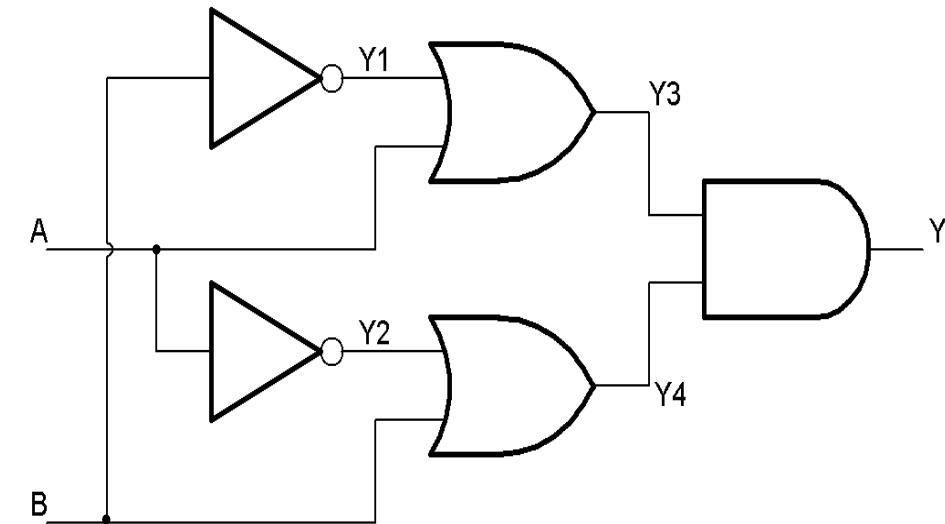
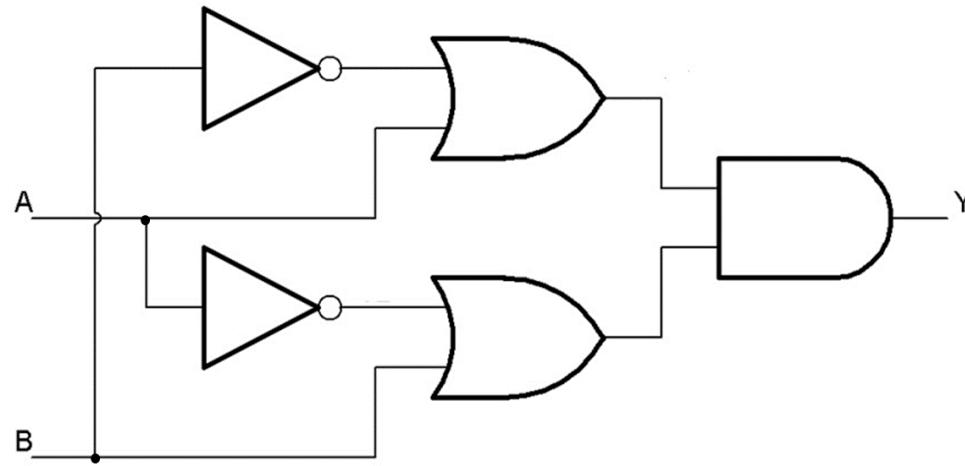
- Postupak ponavljati članovi izraza ne treba sve dok ne budu osnovni logički operandi.

# Za zadalu logičku shemu napisati logičku funkciju i pripadajuću tablicu stanja



| A | B | C | $\bar{B}$ | $A \cdot \bar{B}$ | $\bar{A}$ | $\bar{C}$ | $\bar{A} \cdot \bar{C}$ | Y |
|---|---|---|-----------|-------------------|-----------|-----------|-------------------------|---|
| 0 | 0 | 0 | 1         | 0                 | 1         | 1         | 1                       | 1 |
| 0 | 0 | 1 | 1         | 0                 | 1         | 0         | 0                       | 0 |
| 0 | 1 | 0 | 0         | 0                 | 1         | 1         | 1                       | 1 |
| 0 | 1 | 1 | 0         | 0                 | 1         | 0         | 0                       | 0 |
| 1 | 0 | 0 | 1         | 1                 | 0         | 1         | 0                       | 1 |
| 1 | 0 | 1 | 1         | 1                 | 0         | 0         | 0                       | 1 |
| 1 | 1 | 0 | 0         | 0                 | 0         | 1         | 0                       | 0 |
| 1 | 1 | 1 | 0         | 0                 | 0         | 0         | 0                       | 0 |

Napisati tablicu stanja i logički izraz za logičku shemu (izraz po potrebi minimizirati):



| A | B | $\overline{Y_1=B}$ | $\overline{Y_2=A}$ | $Y_3=Y_1+A$ | $Y_4=Y_2+B$ | $Y=Y_3 \bullet Y_4$ |
|---|---|--------------------|--------------------|-------------|-------------|---------------------|
| 0 | 0 | 1                  | 1                  | 1           | 1           | 1                   |
| 0 | 1 | 0                  | 1                  | 0           | 1           | 0                   |
| 1 | 0 | 1                  | 0                  | 1           | 0           | 0                   |
| 1 | 1 | 0                  | 0                  | 1           | 1           | 1                   |

$$Y = Y_3 \bullet Y_4$$

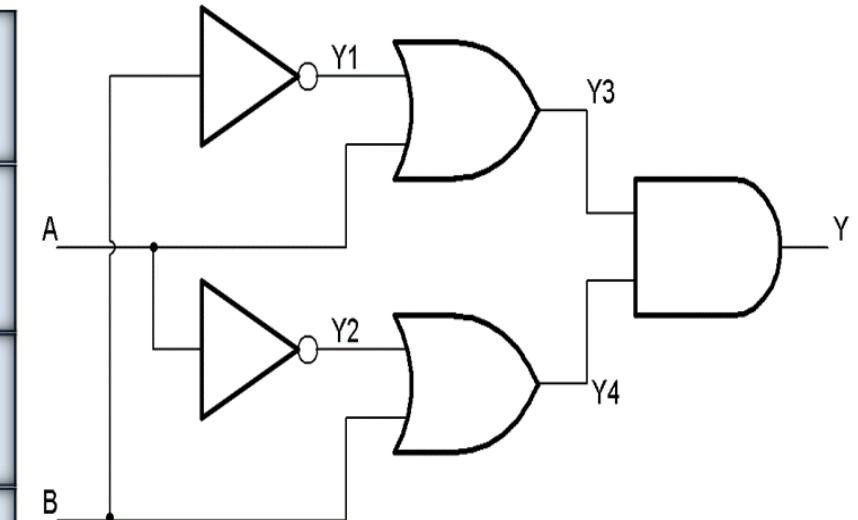
$$Y = (Y_1 + A) \bullet (Y_2 + B)$$

$$Y = (\overline{B} + A) \bullet (\overline{A} + B)$$

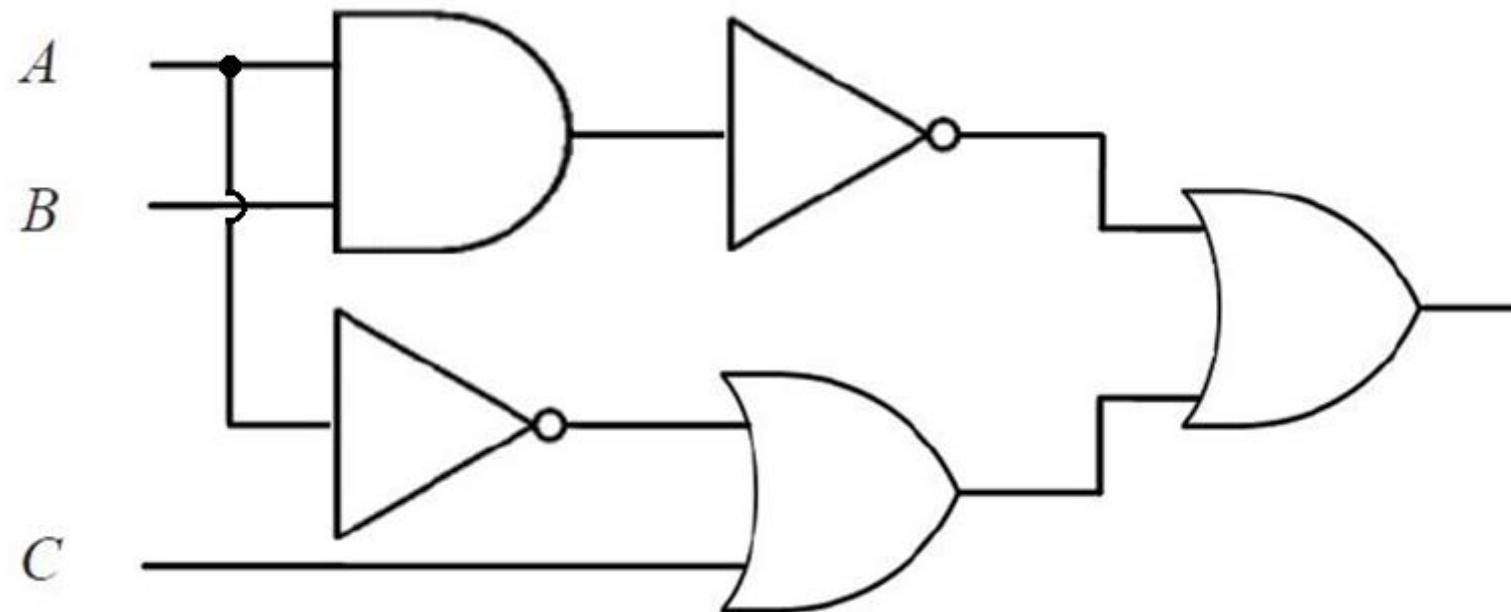
$$Y = \overline{B} \bullet \overline{A} + \overline{B} \bullet B + A \bullet \overline{A} + A \bullet B$$

$$Y = \overline{B} \bullet \overline{A} + A \bullet B$$

$$Y = \overline{A + B} + A \bullet B$$

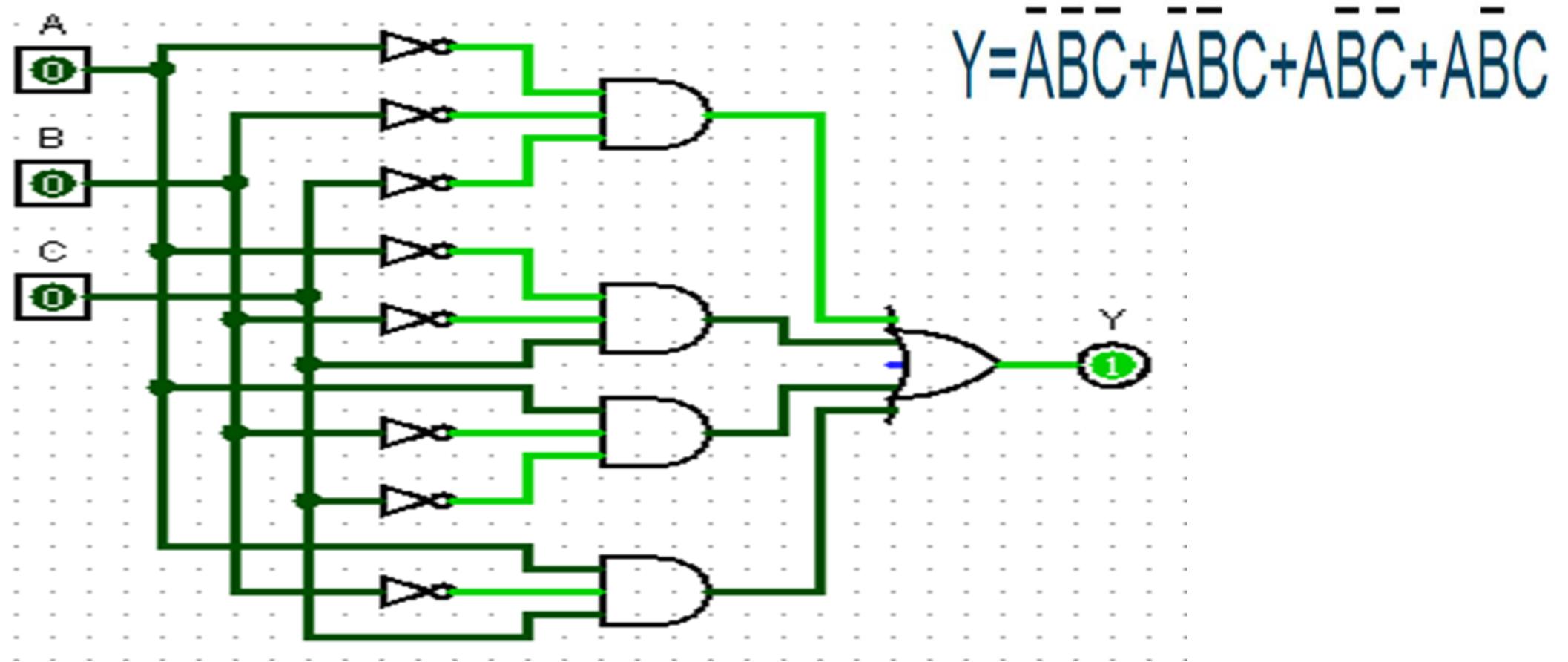


**Napisati tablicu stanja i logički izraz za zadalu logičku shemu**



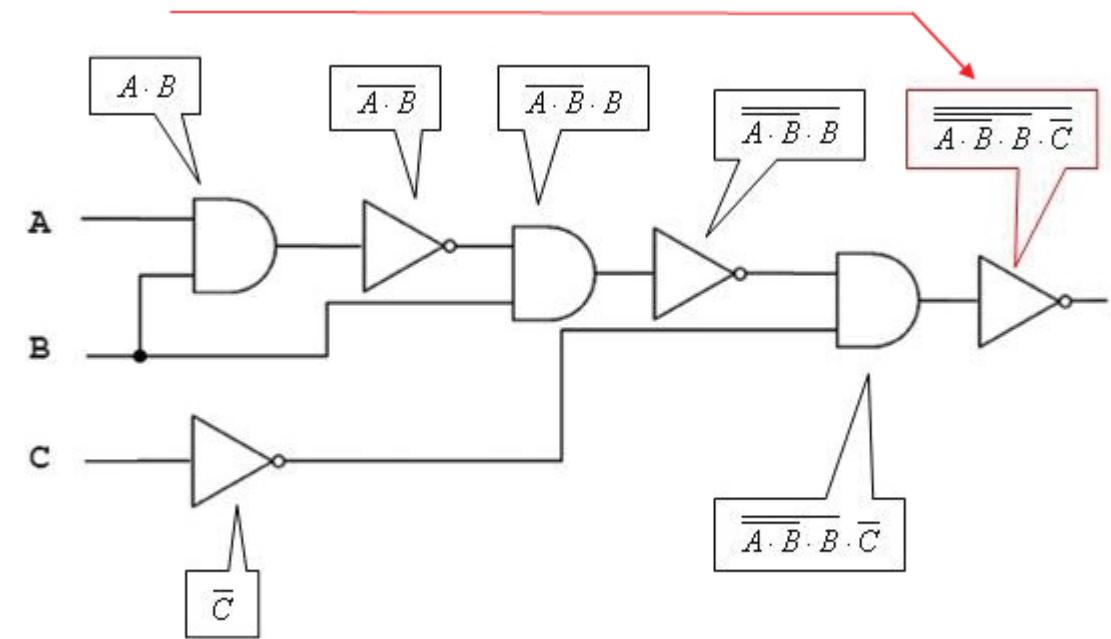
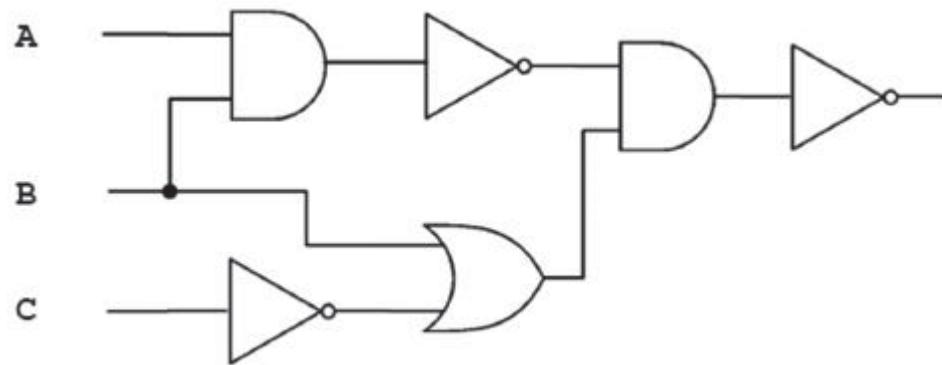
| A | B | C | $Y1 = A \bullet B$ | $\underline{Y2 = Y1}$ | $\underline{Y3 = A}$ | $Y4 = Y3 + C$ | $Y = Y2 + Y4$ |
|---|---|---|--------------------|-----------------------|----------------------|---------------|---------------|
| 0 | 0 | 0 | 0                  | 1                     | 1                    | 1             | 1             |
| 0 | 0 | 1 | 0                  | 1                     | 1                    | 1             | 1             |
| 0 | 1 | 0 | 0                  | 1                     | 1                    | 1             | 1             |
| 0 | 1 | 1 | 0                  | 1                     | 1                    | 1             | 1             |
| 1 | 0 | 0 | 0                  | 1                     | 0                    | 0             | 1             |
| 1 | 0 | 1 | 0                  | 1                     | 0                    | 1             | 1             |
| 1 | 1 | 0 | 1                  | 0                     | 0                    | 0             | 0             |
| 1 | 1 | 1 | 1                  | 0                     | 0                    | 1             | 1             |

Iz zadane logičke sheme napisati  
logički izraz i tablicu stanja



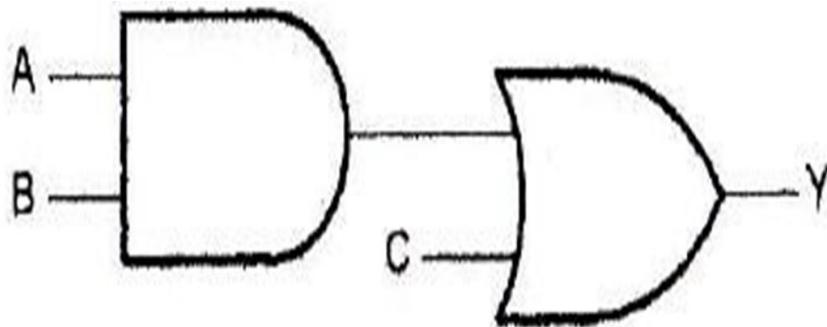
| A | B | C | $\bar{A}$ | $\bar{B}$ | $\bar{C}$ | $\bar{A}\bar{B}\bar{C}$ | $\bar{A}\bar{B}C$ | $A\bar{B}\bar{C}$ | $A\bar{B}C$ | Y |
|---|---|---|-----------|-----------|-----------|-------------------------|-------------------|-------------------|-------------|---|
| 0 | 0 | 0 | 1         | 1         | 1         | 1                       | 0                 | 0                 | 0           | 1 |
| 0 | 0 | 1 | 1         | 1         | 0         | 0                       | 1                 | 0                 | 0           | 1 |
| 0 | 1 | 0 | 1         | 0         | 1         | 0                       | 0                 | 0                 | 0           | 0 |
| 0 | 1 | 1 | 1         | 0         | 0         | 0                       | 0                 | 0                 | 0           | 0 |
| 1 | 0 | 0 | 0         | 1         | 1         | 0                       | 0                 | 1                 | 0           | 1 |
| 1 | 0 | 1 | 0         | 1         | 0         | 0                       | 0                 | 0                 | 1           | 1 |
| 1 | 1 | 0 | 0         | 0         | 1         | 0                       | 0                 | 0                 | 0           | 0 |
| 1 | 1 | 1 | 0         | 0         | 0         | 0                       | 0                 | 0                 | 0           | 0 |

Napisati logički izraz za logičke sheme:

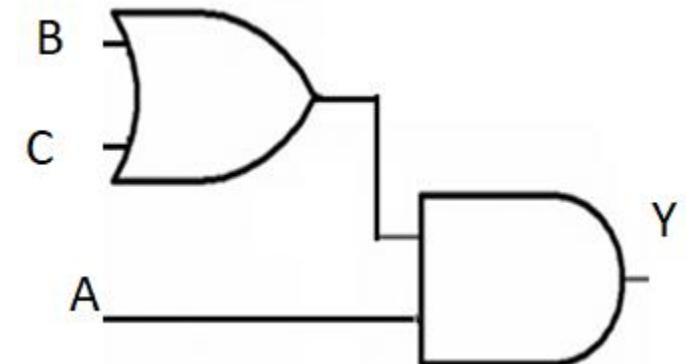


# Nacrtati logičku shemu na osnovu logičkog izraza i napisati pripadajuću tablicu stanja

$$Y = A \cdot B + C$$



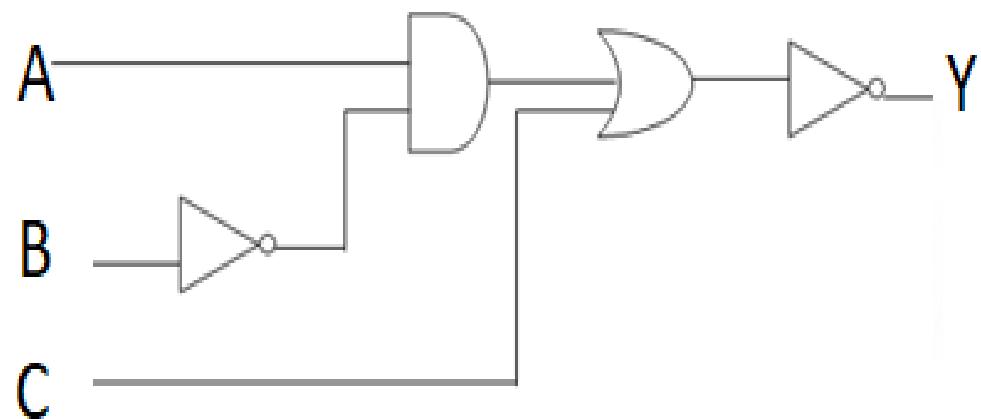
$$Y = A * (B + C)$$



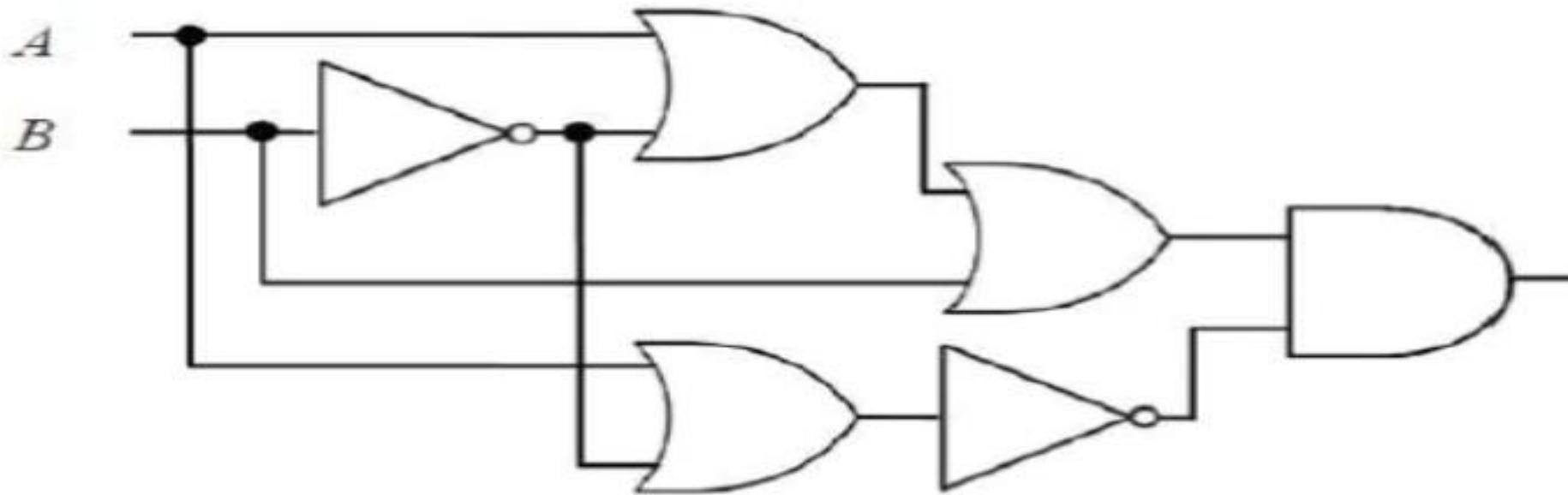
| A | B | C | AB | Y | B+C | Y |
|---|---|---|----|---|-----|---|
| 0 | 0 | 0 | 0  | 0 | 0   | 0 |
| 0 | 0 | 1 | 0  | 1 | 1   | 0 |
| 0 | 1 | 0 | 0  | 0 | 1   | 0 |
| 0 | 1 | 1 | 0  | 1 | 1   | 0 |
| 1 | 0 | 0 | 0  | 0 | 0   | 0 |
| 1 | 0 | 1 | 0  | 1 | 1   | 1 |
| 1 | 1 | 0 | 1  | 1 | 1   | 1 |
| 1 | 1 | 1 | 1  | 1 | 1   | 1 |

Nacrtati logičku shemu na osnovu logičkog izraza samo sa  
I; ILI; NE logičkim sklopoima

$$Y = \overline{(\overline{A} \bullet \overline{B})} + C$$



Koja je logička jednadžba sklopa prikazanoga na slici?

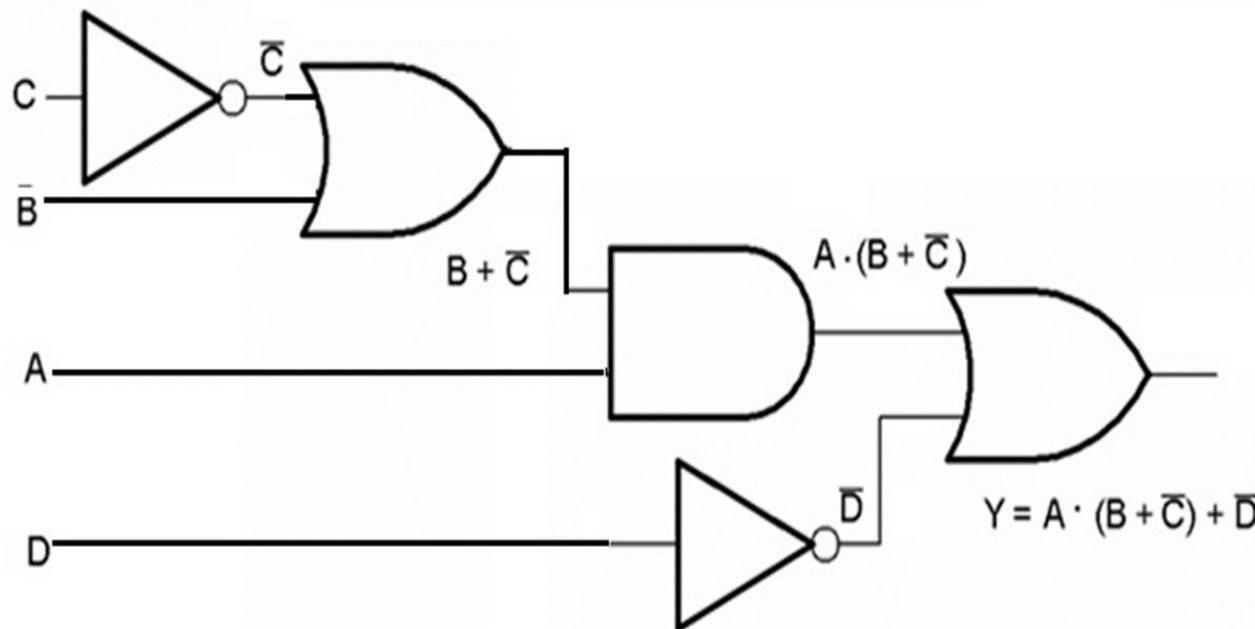


- A.  $\overline{A} \cdot B + \overline{B} + \overline{\overline{A} \cdot \overline{B}}$
- B.  $A + \overline{B} \cdot \overline{A} + \overline{A \cdot \overline{B}}$
- C.  $((A + \overline{B}) + B) \cdot \overline{A + \overline{B}}$
- D.  $((A \cdot \overline{B}) \cdot B) + \overline{A \cdot \overline{B}}$

Točan odgovor: C

# Nacrtati logičku shemu na osnovu logičkog izraza.

$$Y = A \cdot (B + \overline{C}) + \overline{D}$$



# Zadaci za vježbu

- 1. Nacrtati logičke sheme na osnovu logičkih izraza, te napisati pripadajuće tablice stanja:
  - a)  $Y = A + B(\overline{A} + \overline{B} * C)$
  - b)  $Y = \overline{A} * \overline{B} + A * C + \overline{B}$
  - c)  $Y = \overline{A} + B(\overline{A}\overline{B} + C) + \overline{A}B$